

**CMR ENGINEERING COLLEGE: : HYDERABAD**  
**UGC AUTONOMOUS**

**II–B.TECH–II–Semester End Examinations (Regular) -June- 2025**

**COMPUTER ORIENTED STATISTICAL METHODS**

**(CSE)**

**[Time: 3 Hours]**

**[Max. Marks: 60]**

**Note:** This question paper contains two parts A and B.

Part A is compulsory which carries 10 marks. Answer all questions in Part A.

Part B consists of 5 Units. Answer any one full question from each unit. Each question carries 10 marks and may have a, b, c as sub questions.

**PART-A**

**(10 Marks)**

1. a) Define the axioms of Probability function. [1M]
- b) Write the mean and variance of the Discrete Random Variable [1M]
- c) Define Poisson distribution. [1M]
- d) Define central limit Theorem. [1M]
- e) Define interval Estimation. [1M]
- f) Discuss about Type-I and Type-II Errors. [1M]
- g) Write the formula for the test statistic of single mean. [1M]
- h) Define the contingency table. [1M]
- i) Define transition probability matrix. [1M]
- j) What is a steady-state probability distribution? [1M]

**PART-B**

**(50 Marks)**

- 2.a) Determine (i)  $P\left(\frac{B}{A}\right)$  (ii)  $P\left(\frac{A}{B^c}\right)$  if A, B are two events with  $P(A) = \frac{1}{3}$ ,  $P(B) = \frac{1}{4}$ ,  $P(A \cup B) = \frac{1}{2}$ . [5M]
- b) Two cards are drawn from a pack of 52 cards. Find the probability that they are both aces if first card is (i) replaced (ii) not replaced [5M]

**OR**

3. Two dice are thrown. Let X assign to each point (a,b) in S the maximum of its numbers i.e.,  $X(a,b) = \max(a,b)$ . Find the probability distribution. X is a random variable with  $X(s) = \{1,2,3,4,5,6\}$ . Also find the mean and variance of the distribution. [10M]
4. Out of 800 families with 4 children each, how many families would be expected to have (i) 3 boys ii) 5 girls iii) either 2 or 3 boys iv) at least one boy. Assume equal probabilities for boys and girls [10M]

**OR**

5. In a Normal distribution, 7% of the items are under 35 and 89% are under 63. Determine the mean and variance of the distribution. [10M]

6. Let  $p$  be the probability that a coin will fall head in a single toss in order to test  $H_0: p = 0.5$  against  $H_1: p \neq 0.5$ . Test the hypothesis at 0.05 level of significance. [10M]

**OR**

- 7.a) It is claimed that a random sample of 100 tyres with a mean life of 15269km is drawn from population it has a mean life of 15200 and S.D of 1248. Test the validity of this claim. [5M]
- b) Write about the Test of Hypothesis for single proportion and difference of proportions. [5M]
8. A random sample of 10 boys had the following I.Q's: 70, 120, 110, 101, 88, 83, 95, 98, 107 and 100. [10M]
- i) Do these data support the assumption of a population mean I.Q of 100?
- ii) Find a reasonable range in which most of the I.Q, values of samples of 10 boys lie.

**OR**

9. From the following data find whether there is any significant liking in the habit of taking soft drinks among the categories of employees. [10M]

Employees			
Soft Drinks	Clerks	Teachers	Officers
Pepsi	10	25	65
Thums up	15	30	65
Fanta	50	60	30

10. A fair dice is tossed repeatedly. If  $X_n$  denotes the maximum of the numbers occurring in the first  $n$  tosses, find the transition probability matrix  $p$  of the Markov chain  $\{X_n\}$ . Also find  $P\{X_2 = 6\}$  and  $P^2$ . [10M]

**OR**

11. Classification of states of a Markov chain and give the example. [10M]

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