

2.76/2.760 Multiscale Systems Design & Manufacturing

Fall 2004

Systems Design in Multi-scale

Multi-scale Systems

natural

DNA
~2-1/2 nm diameter

Human heart

**Human body
(circulatory
system)**

Diagrams removed
for copyright reasons.

manmade

Carbon nanotube
~2 nm diameter

Nanotube transistor

Design for Manufacturing?

MIT Stata Center by Gehry
\$300 million, 5 years



MIT Simmons Hall
\$ 90million, 2 years



Good Design

Does scale matter?

- Lecture Room
- Your Car?
- Boston T ?
- Logan Airport ?
- Government ?

Good designer?

Giorgio Armani

Giugiaro (automobile)

Diagrams removed
for copyright reasons.

Pablo Picasso

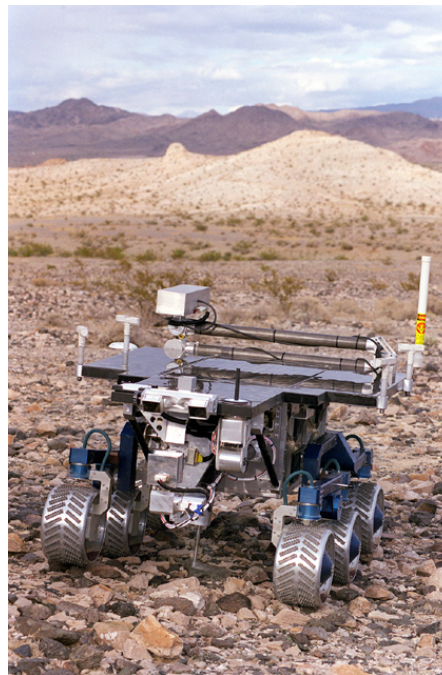
Frank O. Gehry



2.76 MIT, S. Kim

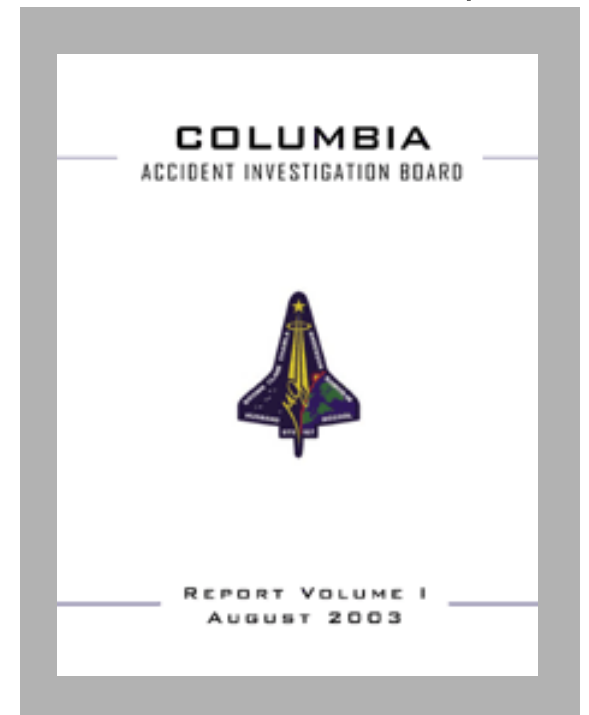
Good designers

Rover



Source: NASA

Fail sometimes,



MRI

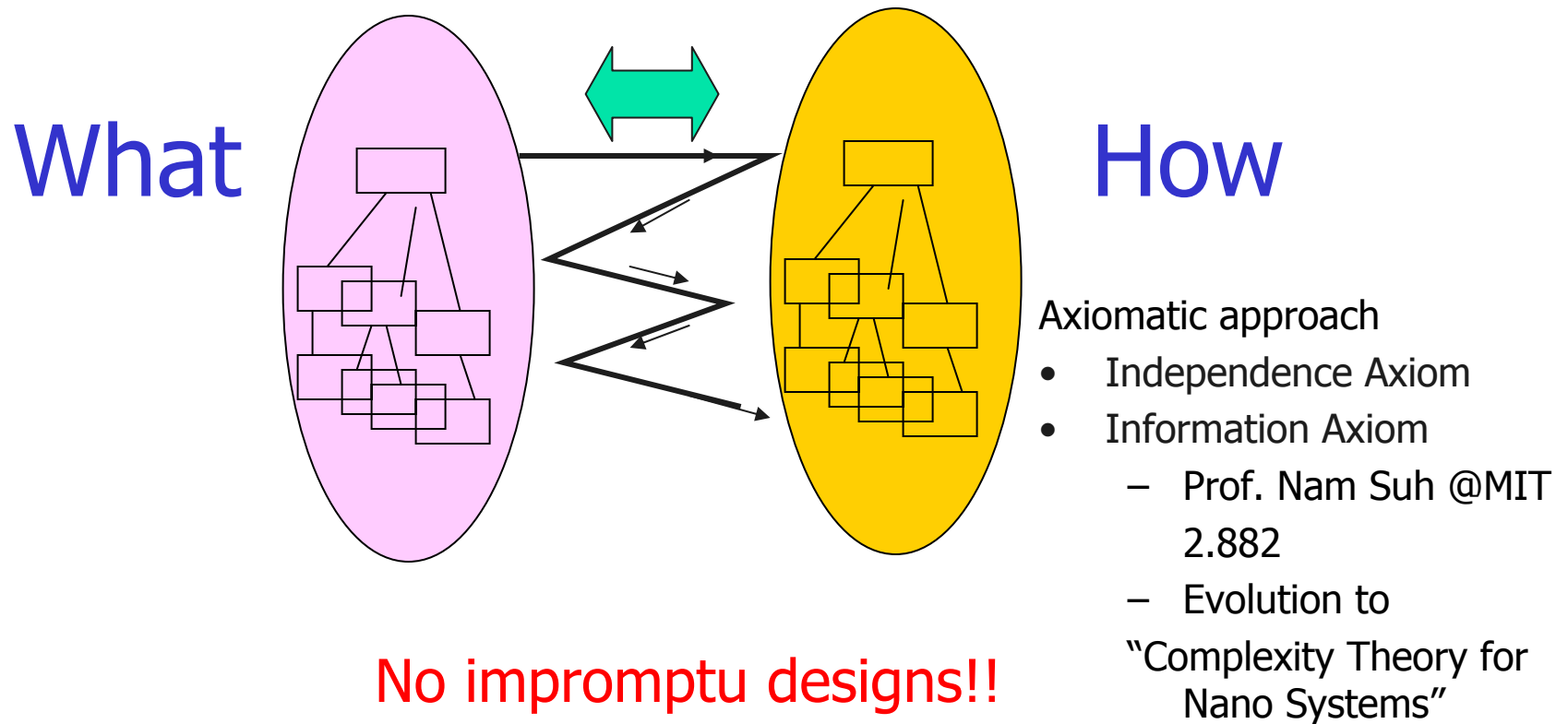
Milacron

Some say “A good design is made by left, right brain

- Uses logic
- Facts rule
- Detail oriented
- Present and past
- Math and science
- Perception
- Reality
- Safe
- Uses feeling
- Imagination rules
- Big picture
- Present and future
- Philosophy and religion
- Spatial perception
- Fantasy based
- Risk taking

Design Domains

“What” to “How”, “Top” to “Bottom”



Super bowl 2001, 2003

Diagrams of key plays by New England Patriots in Super Bowl victory removed for copyright reasons.

BIG PICTURE

What is “Good”?

- Are Patriots a **good** team?
- Is MIT a **good** school?
- Am I a **good** teacher?

How to do "Systems Design"?

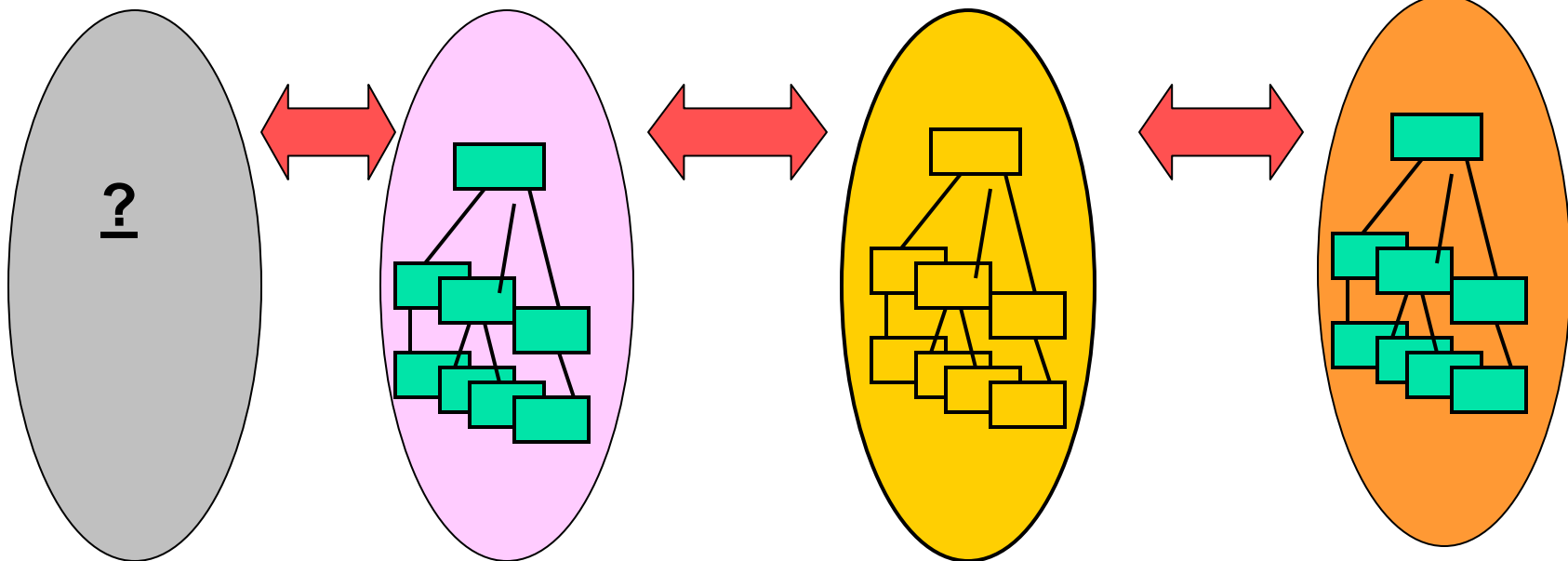
Four Design Domains

Customer
Domain

Functional
Domain

Physical
Domain

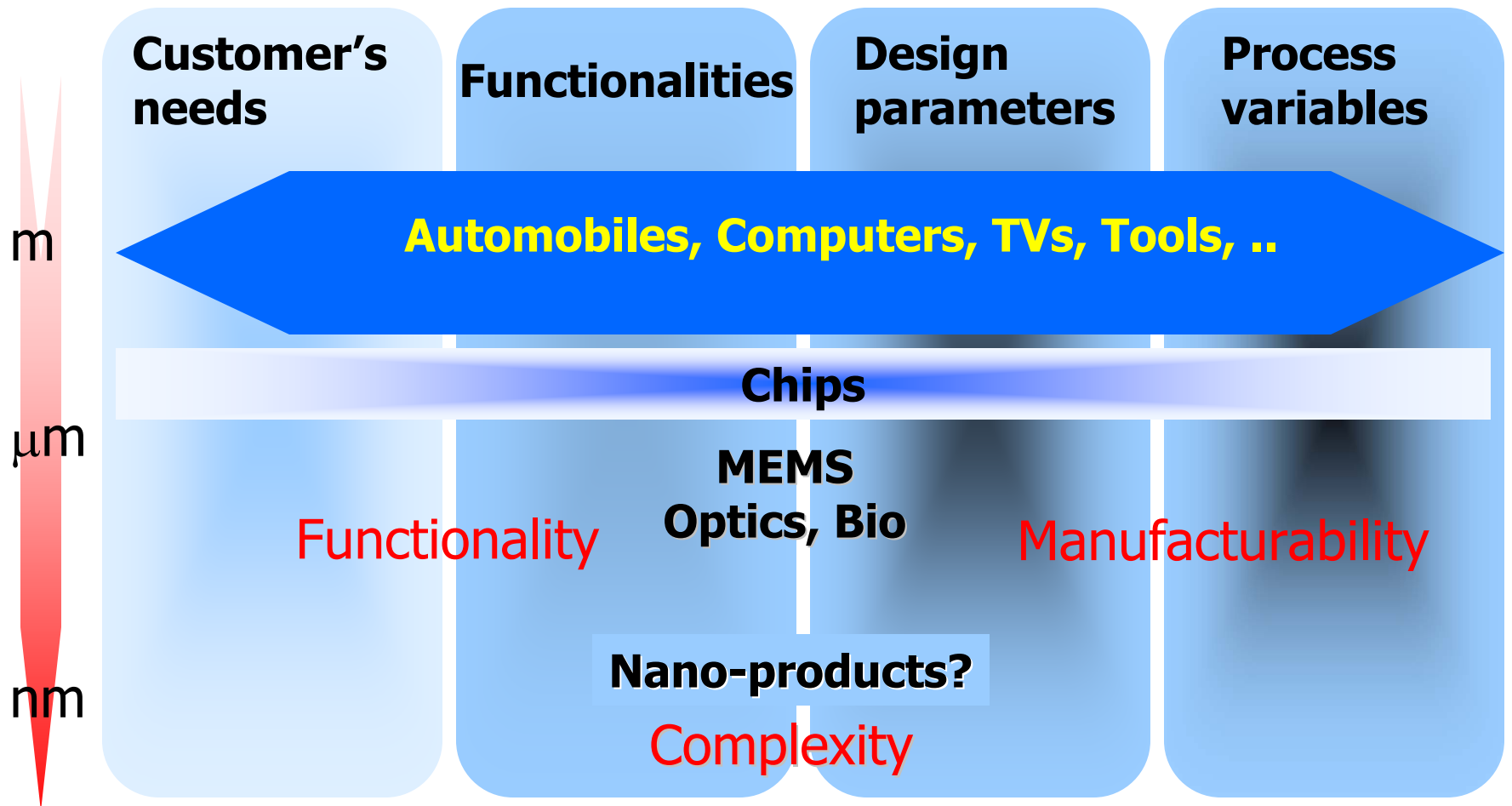
Process
Domain



Four domains

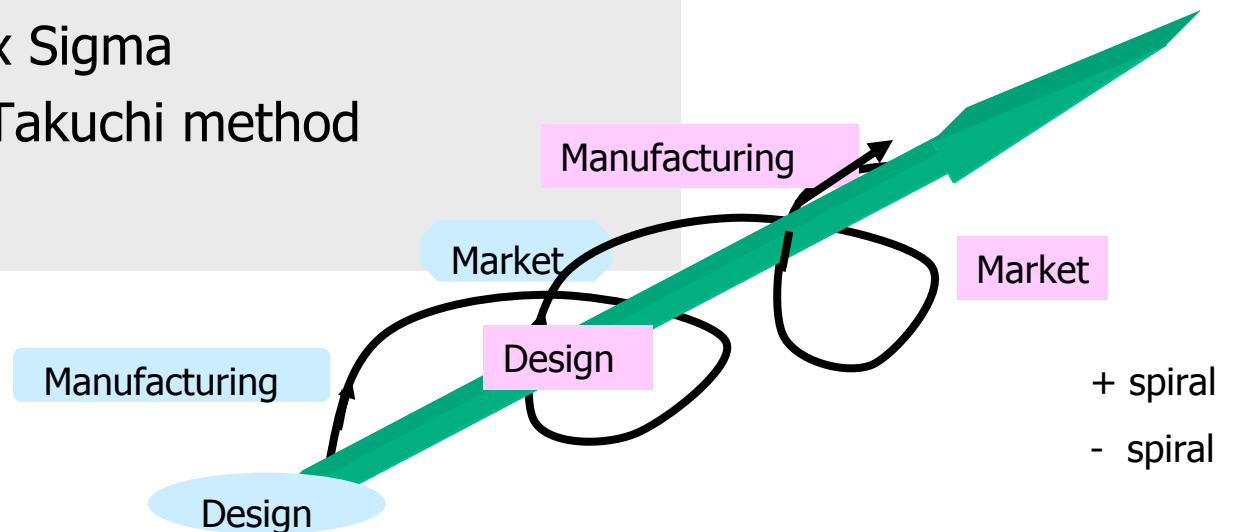
Manufacturing systems	CA	FR	DP	PV
Materials	Performances	Properties	Micro-structure	Processes
Software	Attributes desired	Output of programs	Input variables	Subroutines
Business	ROI	Business goals	Business structure	Resources
Organization	Customer satisfaction	Functions	Programs offices	People resources

A multiscale design should be...



Systems Design

- Customer Satisfaction
- Concurrent Design
- Design for Manufacturing, Assembly and "X"
- Quality Control, Six Sigma
- House of Quality, Takuchi method
- Axiomatic Design



- Any of these efforts in MEMS?
- Nanomanufacturing, Complexity

A Good Design is,

- Concept of Domains, well defined “what”
- Uncoupled (decoupled)
- Minimum information (least complex)

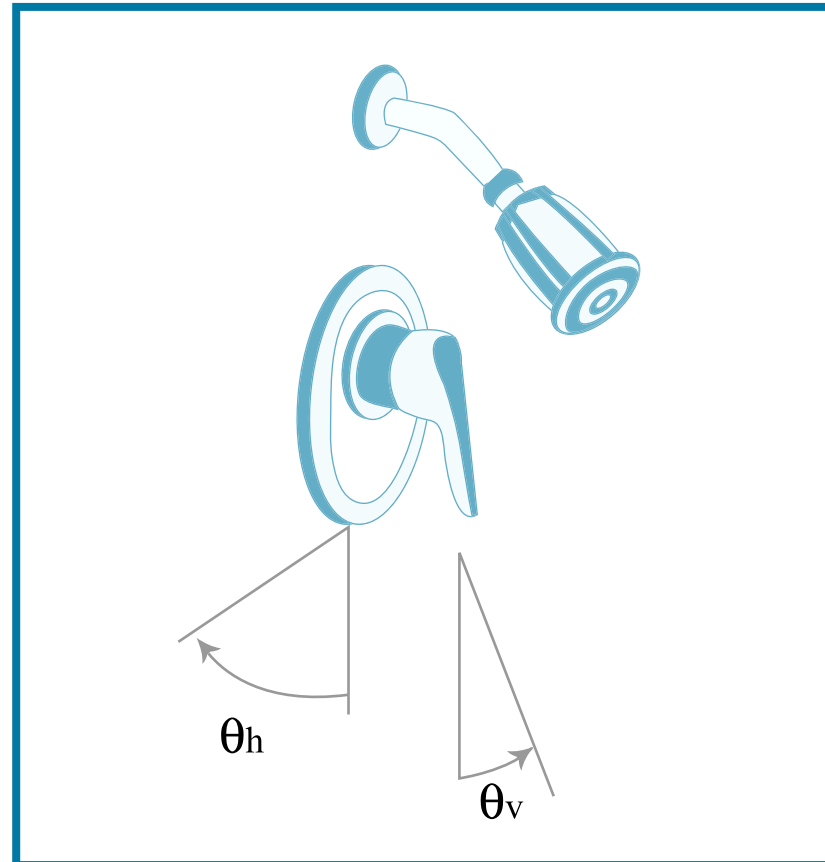
Axiomatic Design, 2.882

1. N.P. Suh, *Principles of Design*, Oxford, 1990
2. N. P. Suh, *Axiomatic Design: Advances and Applications*, Oxford, 2001
3. N. P. Suh, *Complexity: Theory and Applications*, Oxford, 2004

Example: Shower Faucet

Functional Requirements

- Temperature
- Flow rate



Independence Axiom

- Maintain the independence of FRs.
 - Shower faucet example

FR1= Temperature
FR2= Flow rate

DP1= Hot water
DP2= Cold Water

$$\left\{ \begin{array}{c} \text{FR1} \\ \text{FR2} \end{array} \right\} = \begin{bmatrix} \text{X} & \text{X} \\ \text{X} & \text{X} \end{bmatrix} \left\{ \begin{array}{c} \text{DP1} \\ \text{DP2} \end{array} \right\}$$

Coupled

FR1= Temperature
FR2= Flow rate

DP1= Horizontal Angle
DP2= Vertical Angle

$$\left\{ \begin{array}{c} \text{FR1} \\ \text{FR2} \end{array} \right\} = \begin{bmatrix} \text{X} & \text{O} \\ \text{O} & \text{X} \end{bmatrix} \left\{ \begin{array}{c} \text{DP1} \\ \text{DP2} \end{array} \right\}$$

Uncoupled

Design Coupling

- Uncoupled

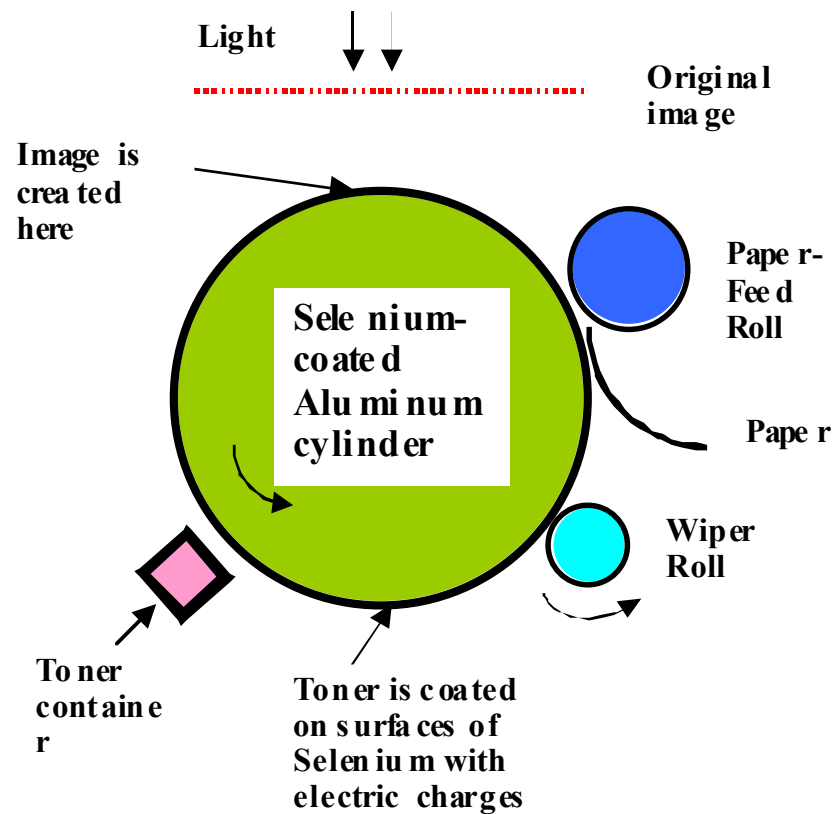
$$\begin{Bmatrix} \text{FR1} \\ \text{FR2} \end{Bmatrix} = \begin{bmatrix} \text{X} & \text{O} \\ \text{O} & \text{X} \end{bmatrix} \begin{Bmatrix} \text{DP1} \\ \text{DP2} \end{Bmatrix}$$

- Decoupled

$$\begin{Bmatrix} \text{FR1} \\ \text{FR2} \end{Bmatrix} = \begin{bmatrix} \text{X} & \text{O} \\ \text{X} & \text{X} \end{bmatrix} \begin{Bmatrix} \text{DP1} \\ \text{DP2} \end{Bmatrix}$$

- Coupled

Example: Xerography-based Printing Machine



Design Matrix

FR1 = Create electrically charged images.

FR2 = Coat the charged surface with toner

FR3 = Wipe off the excess toner.

FR4 = Make sure that abrasive particles do not cause abrasion.

FR5 = Feed the paper.

FR6 = Transfer the toner to the paper.

FR7 = Control throughput rate.

DP1 = Optical system with light on selenium surface

DP2 = Electrostatic charges of the selenium surface and the toner

DP3 = Wiper roller

DP4 = Filter

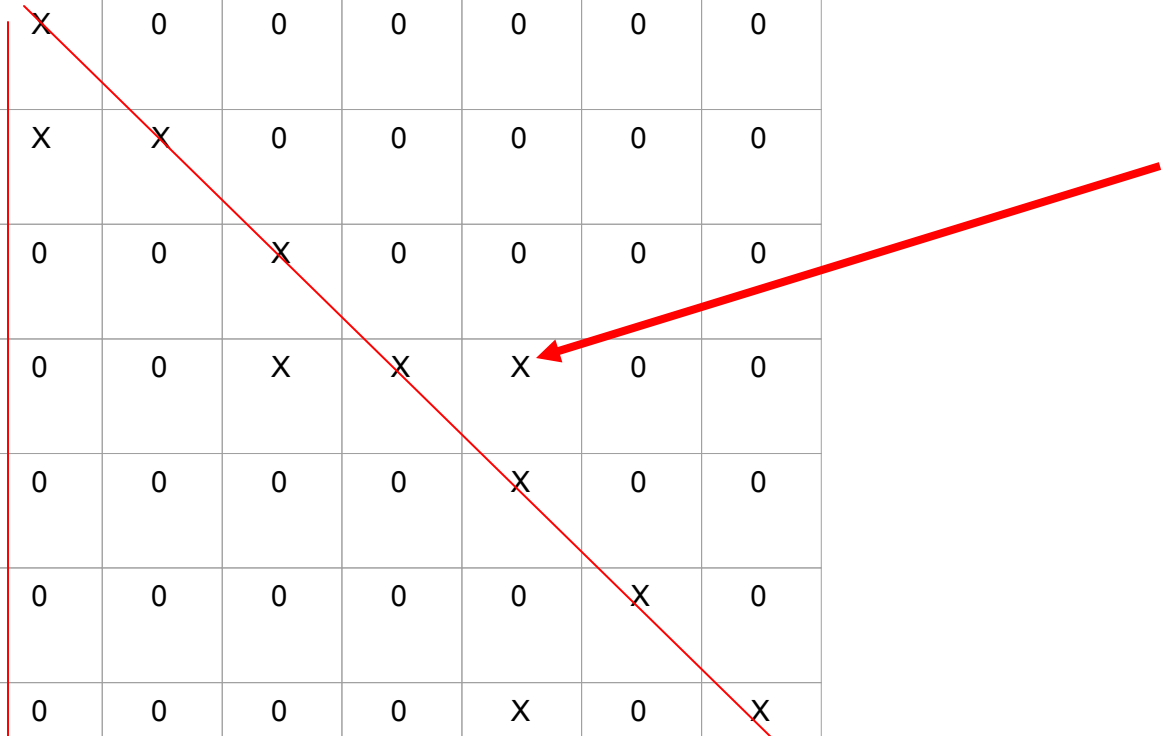
DP5 = Paper-feeding mechanism

DP6 = Mechanical pressure

DP7 = Speed of the cylinder

Design Matrix

	DP 1	DP 2	DP 3	DP 4	DP 5	DP 6	DP 7
FR 1	X	0	0	0	0	0	0
FR 2	X	X	0	0	0	0	0
FR 3	0	0	X	0	0	0	0
FR 4	0	0	X	X	X	0	0
FR 5	0	0	0	0	X	0	0
FR 6	0	0	0	0	0	X	0
FR 7	0	0	0	0	X	0	X



Imaginary Complexity

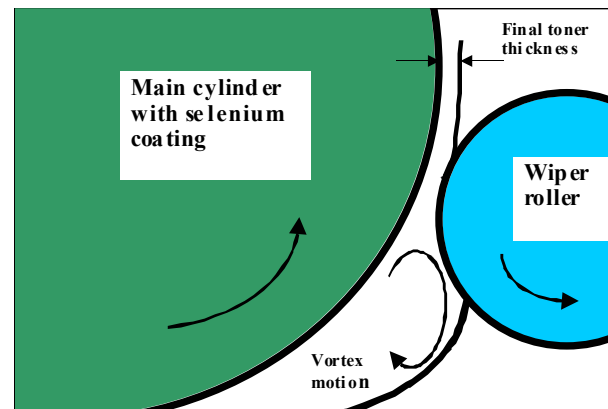
$$\begin{array}{c} \left\{ \begin{array}{l} \text{FR1} \\ \text{FR2} \\ \text{FR3} \\ \dots \\ \dots \\ \dots \\ \text{FRm} \end{array} \right\} \end{array} = \begin{array}{c} \left[\begin{array}{cccccc} \text{X} & 0 & 0 & 0 & \dots & 0 \\ \text{X} & \text{X} & 0 & 0 & \dots & 0 \\ \text{X} & \text{X} & \text{X} & 0 & \dots & 0 \\ \dots & \dots & \dots & \dots & \dots & 0 \\ \dots & \dots & \dots & \dots & \dots & 0 \\ \dots & \dots & \dots & \dots & \dots & 0 \\ \text{X} & \text{X} & \text{X} & \text{X} & \dots & \text{X} \end{array} \right] \end{array} \begin{array}{c} \left\{ \begin{array}{l} \text{DP1} \\ \text{DP2} \\ \text{DP3} \\ \dots \\ \dots \\ \dots \\ \text{DPn} \end{array} \right\} \end{array}$$

$$P = \frac{1}{n!}$$

Solution

DP41 = The order of rotation of the wiper roller and the main cylinder (wiper roller rotates first)

DP42 = The surface speed of the wiper roller greater than and opposite to the surface speed of the main cylinder



Courtesy of Prof. N. P. Suh. Used with permission.

Case study

TMA(thin film micromirror array)

Mirror Array on Piezoelectric Actuator Array Daewoo Electronics

Diagrams removed for copyright reasons.

See S. G. Kim and Kyu-Ho Hwang, "Thin-film Micromirror Array", Information Display (Official Magazine of Society of Information Display, invited), Vol. 15, No. 4/5, pp.30-34, 1999.

Functional Requirements of TMA

1st Generation

FR1= light reflection

FR2= mirror tilting

DP1= cantilever top surface

DP2= PZT sandwich

$$\left\{ \begin{array}{l} \text{FR1} \\ \text{FR2} \end{array} \right\} = \begin{bmatrix} \text{X} & \text{X} \\ \text{X} & \text{X} \end{bmatrix} \left\{ \begin{array}{l} \text{DP1} \\ \text{DP2} \end{array} \right\}$$

Functional Requirements of TMA

2nd Generation

FR1= light reflection

FR2= mirror tilting

DP1= cantilever top surface

DP2= PZT sandwich

$$\begin{Bmatrix} \text{FR1} \\ \text{FR2} \end{Bmatrix} = \begin{bmatrix} \text{X} & \text{O} \\ \text{X} & \text{X} \end{bmatrix} \begin{Bmatrix} \text{DP1} \\ \text{DP2} \end{Bmatrix}$$

Functional Requirements of TMA

3rd Generation

FR1= light reflection

FR2= mirror tilting

DP1= cantilever top surface

DP2= PZT sandwich

$$\left\{ \begin{array}{c} \text{FR1} \\ \text{FR2} \end{array} \right\} = \left(\begin{array}{cc} \text{X} & \text{O} \\ \text{O} & \text{X} \end{array} \right) \left\{ \begin{array}{c} \text{DP1} \\ \text{DP2} \end{array} \right\}$$

TMA

XGA
1024 X 768
786,432 pixels



Photos removed
for copyright reasons.

Photos removed
for copyright reasons.



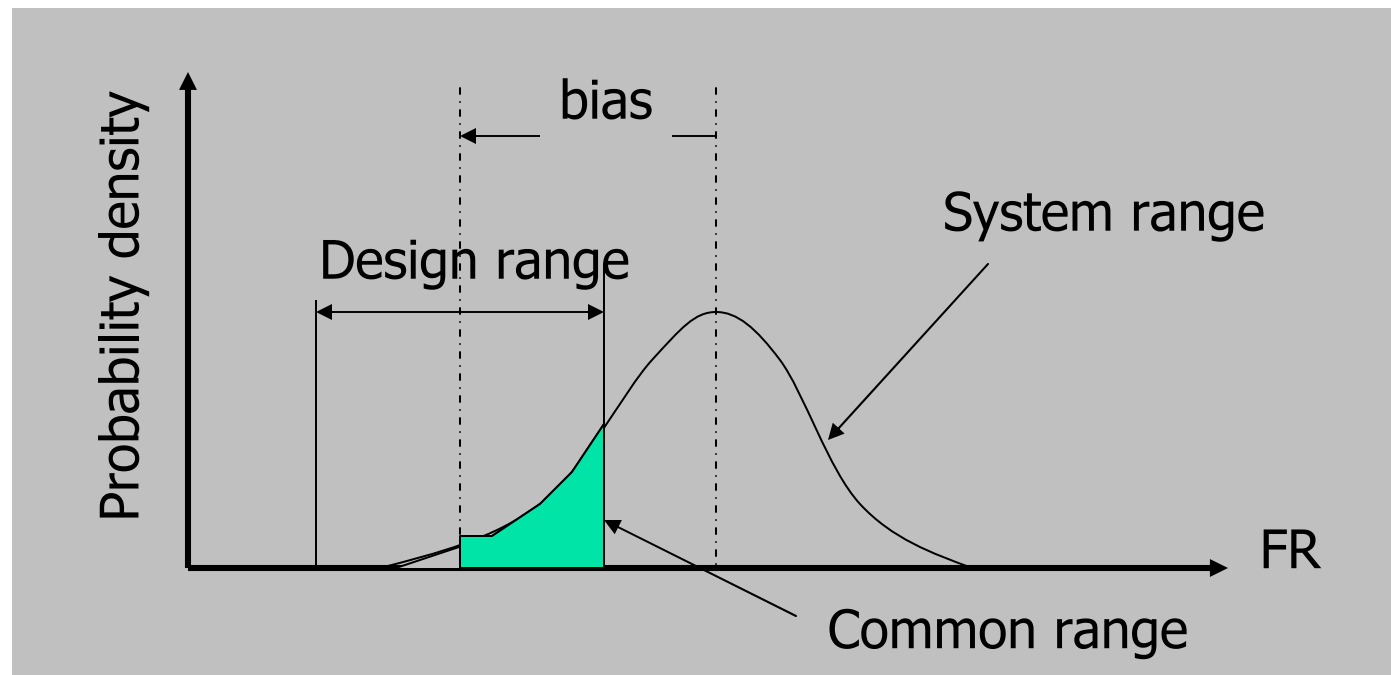
VGA
640 X 480
307,200 pixels

Information Axiom

- Minimize the Information Content

$$I = \log_2 \frac{1}{P} = -\log_2 P$$

P : Probability of success = common range/system range



Multi-scale System Complexity

DNA
~2-1/2 nm diameter

natural

Human heart

Human body
(circulatory
system)

Diagrams removed
for copyright reasons.

manmade

Carbon nanotube
~2 nm diameter

Nanotube transistor

MIT Stata Center by Gehry
\$300 million, 5 years



MIT Simmons Hall
\$ 90million, 2 years



Scale Orders

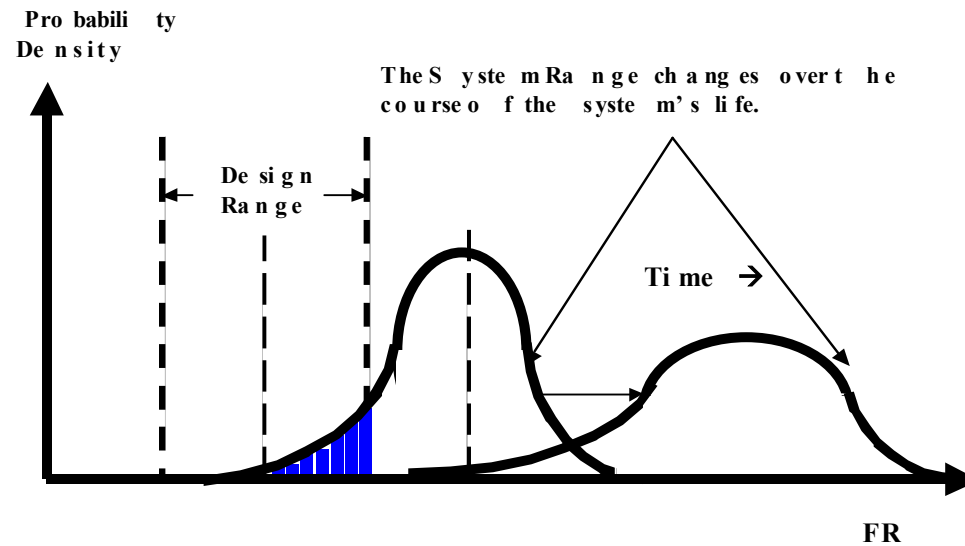
Scale order, $N = \frac{\text{size of the system}}{\text{smallest characteristic length}}$

- | | <u>N</u> |
|--------------------------------------------------|----------|
| • Cars: 5 m \leftrightarrow 500 μ | 10^4 |
| • Jig Machines: 5 m \leftrightarrow 5 μ | 10^6 |
| • Lithography M/C: 30 cm \leftrightarrow 30 nm | 10^7 |
| • Human Body: 2 m \leftrightarrow 2 nm | 10^9 |
| • Scale order vs. Complexity? | |

Complexity of social problems

- Uncertainty
- Difficulty
- Complexity

Non-equilibrium systems, long term stability

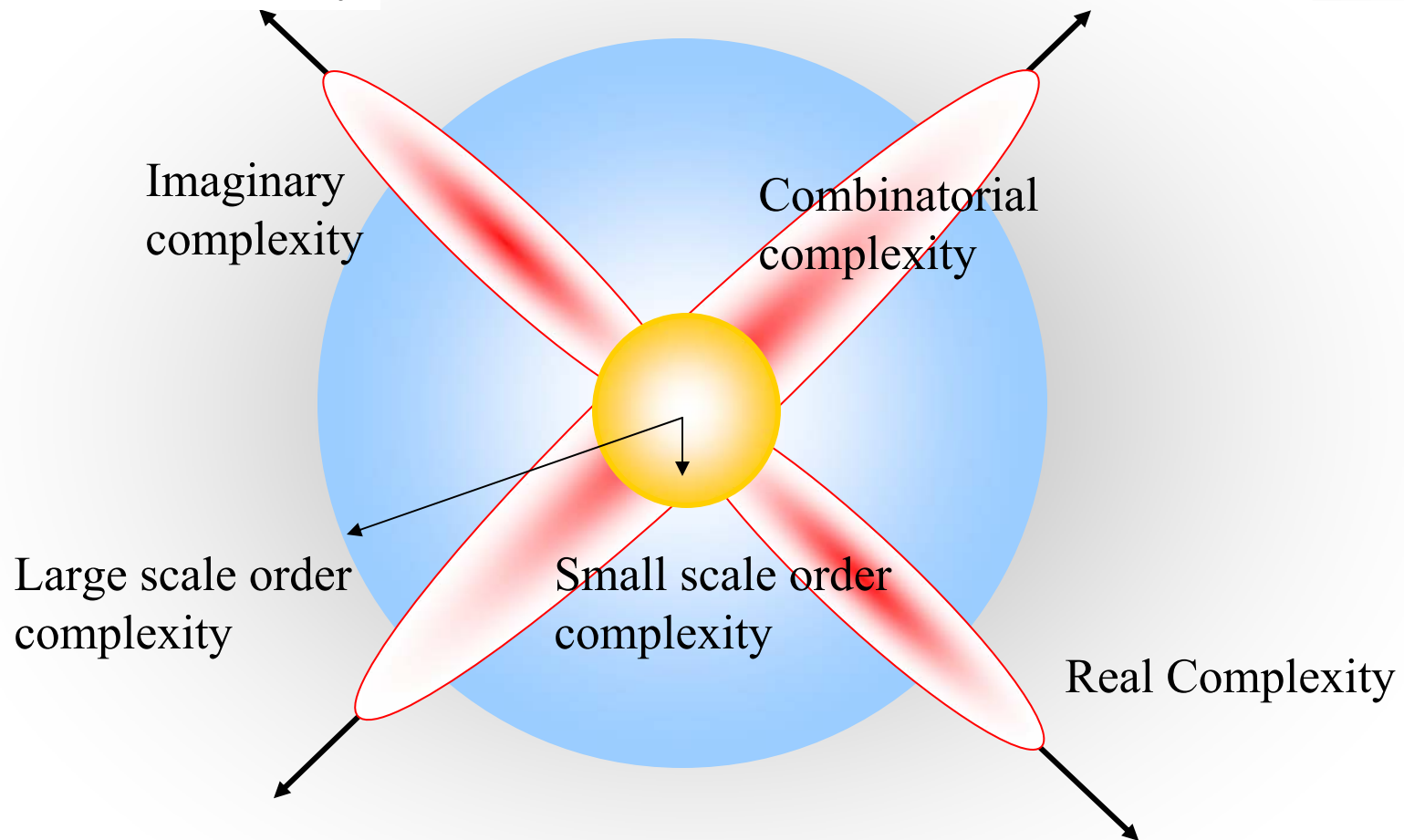


Courtesy of Prof. N. P. Suh. Used with permission.

Causality of Complexity -Kim

Type III: difficulty

Type I: coupling and non-equilibrium



Type IV: Large-scale order

Type II: uncertainty

Real Complexity and the Scale Issue

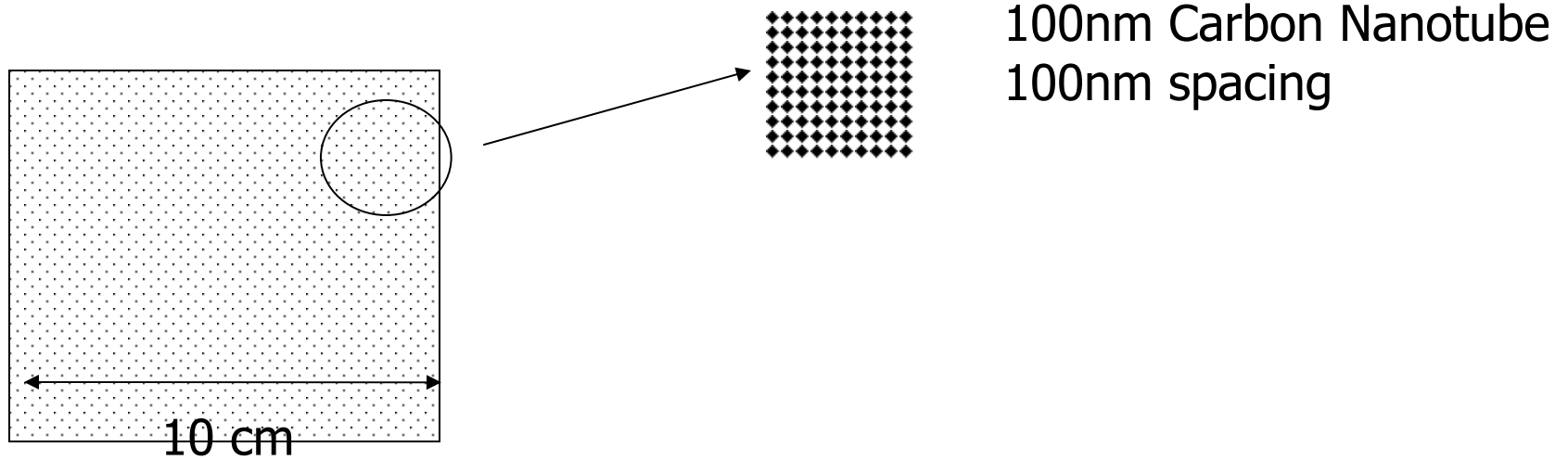
- the ratio (range/tolerance)

$$I = \log\left(\frac{\textit{range}}{\textit{tolerance}}\right) \quad \text{Suh}$$



$$I = \log\left(e^{\frac{\textit{range}}{\textit{tolerance}}}\right) = \frac{\textit{range}}{\textit{tolerance}} \quad \text{Kim}$$

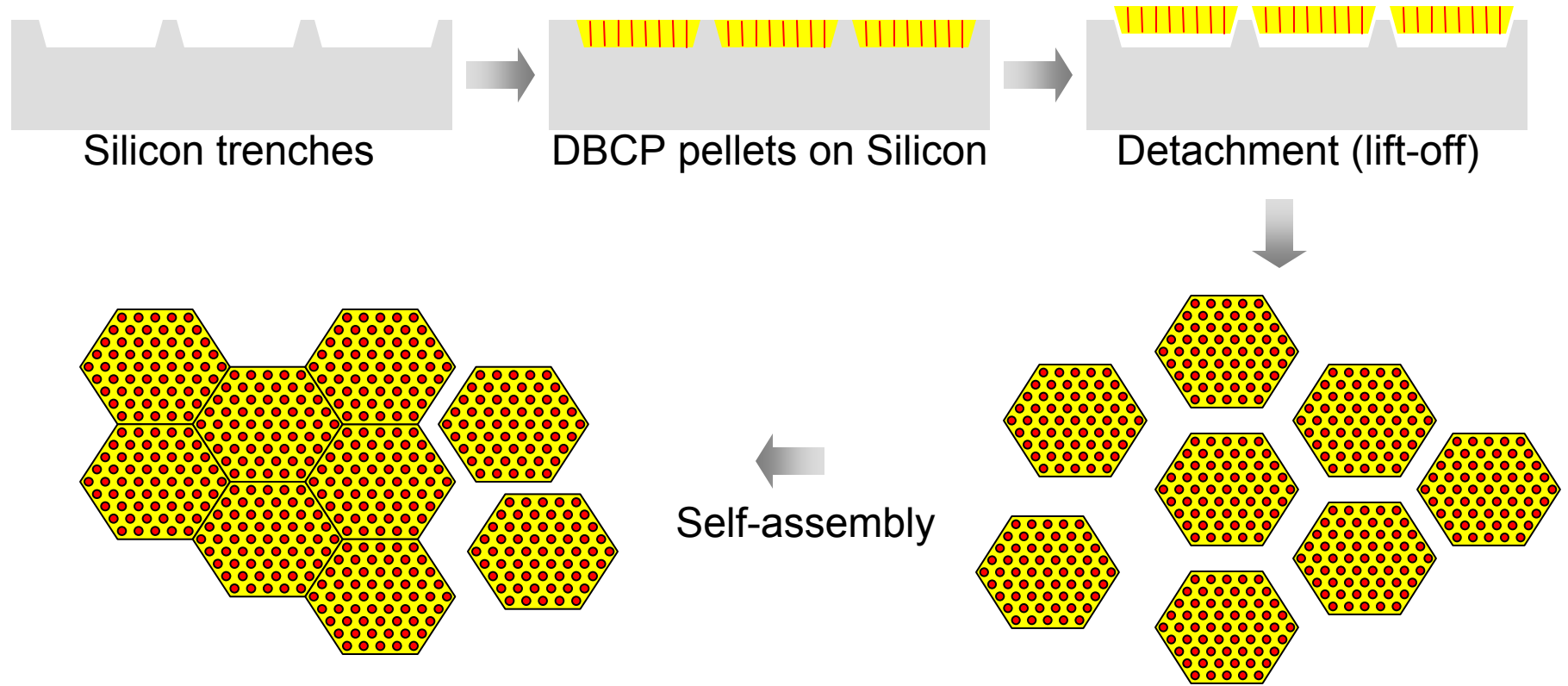
Nano-Scale Assembly



Three photos removed for copyright reasons.
Force microscopy tip and two nanotube arrays.

Block Assembly

Nanopelleting Technique*



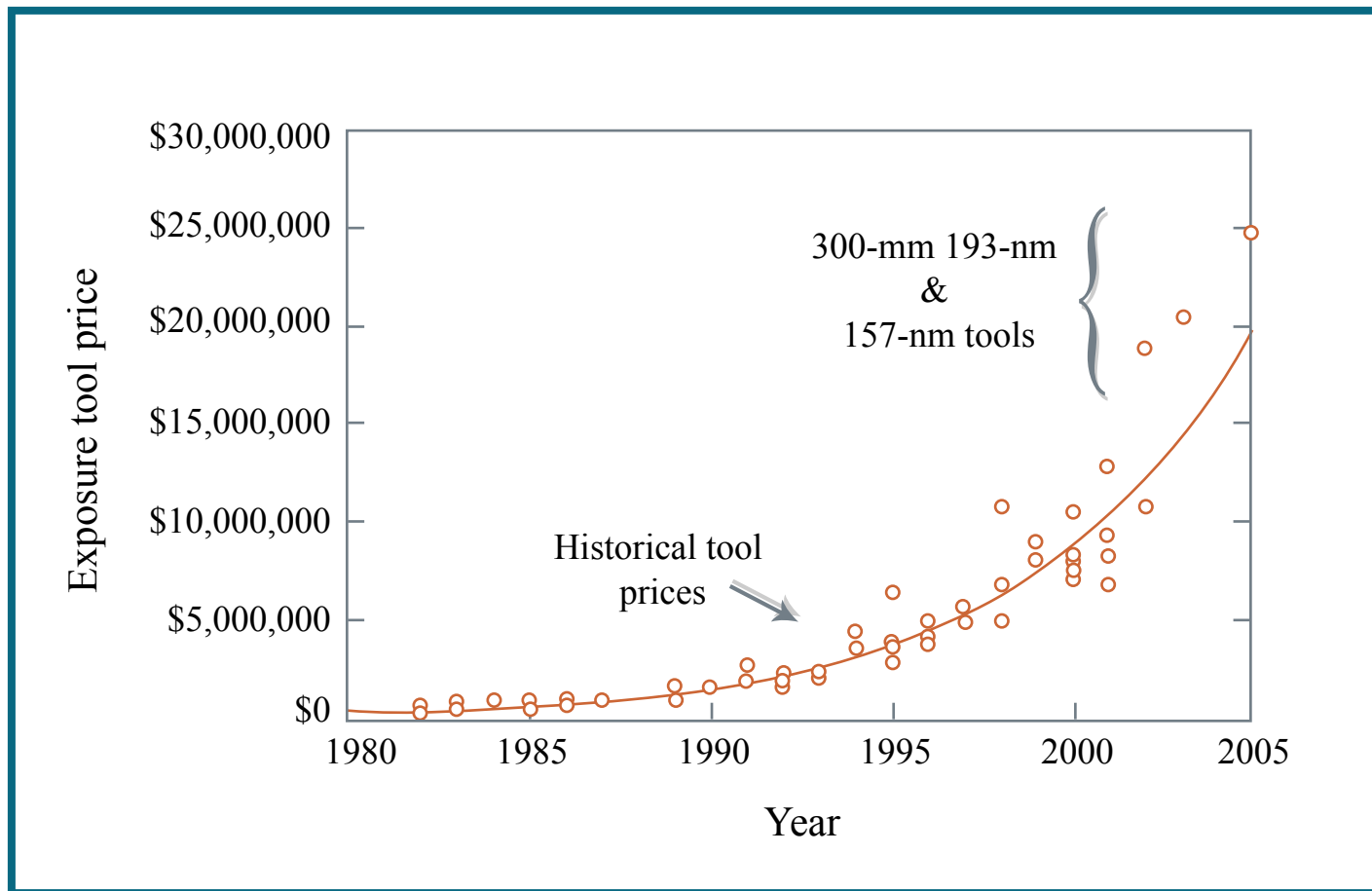
Gordon Moore (Intel)

Two graphs of "Moore's Laws" - removed
for copyright reasons.

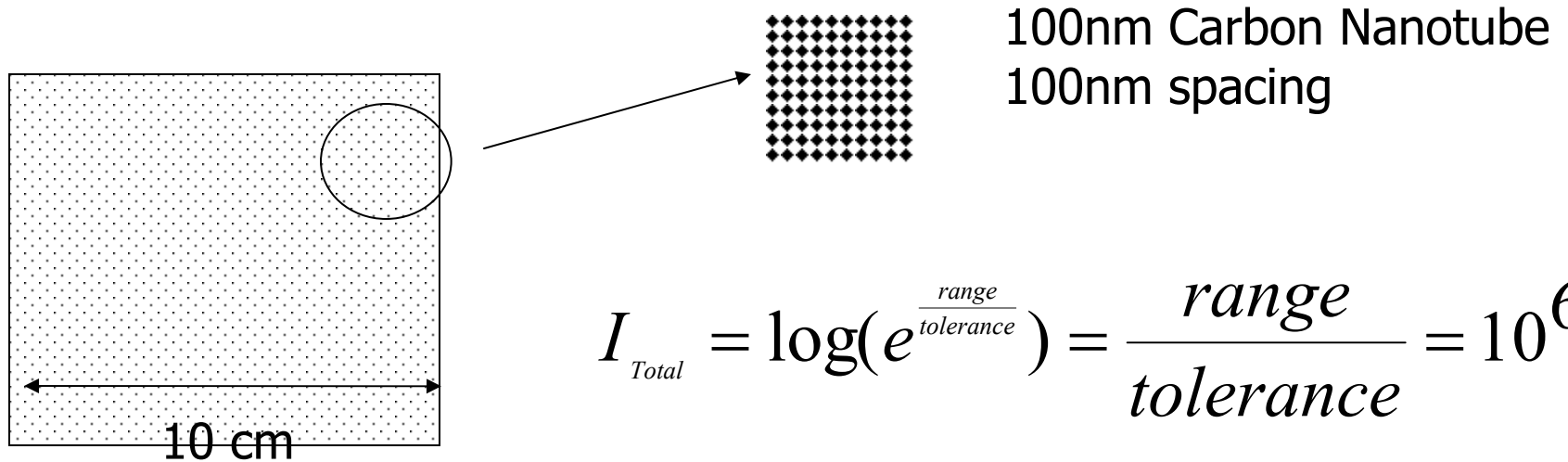
Moore's Second Law

- *The cost of building chip fabrication plants will continue to increase (and the return on investment to decrease) until it becomes fiscally untenable to build new plants.*

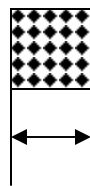
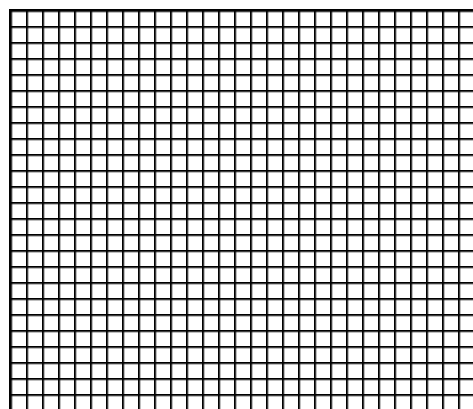
Lithography Tool Cost



Scale Decomposition and Information Content



$$I_{Total} = \log\left(e^{\frac{range}{tolerance}}\right) = \frac{range}{tolerance} = 10^6$$



100 μ m

Block Assembly

$$I_{Total} = I_{micro} + I_{nano} = 10^3 + 10^3$$

Complexity

A system is complex when;

- A design is strongly coupled or path-dependent,
- System ranges vary with time, (non-equilibrium)
- The outcome is uncertain, (low probability of success)
- The scale order is very high.

Complexity can be reduced by;

- Periodic Functions (temporal, spatial, etc.)
- Uncoupled

Functional Periodicity

- Time independent **real** and **imaginary** complexity.
- Time dependent **combinatorial** and **periodic** complexity.
- Time dependent combinatorial complexity can become periodic complexity by **functional periodicity**. [Suh, MIT]
 - Temporal
 - Geometrical
 - Biological
 - Manufacturing process
 - Chemical information
 - Circadian
 - etc.

Functional Periodicities

- Temporal periodicity
- Geometric periodicity
- Biological periodicity
- Manufacturing process periodicity
- Chemical periodicity
- Thermal periodicity
- Information process periodicity
- Electrical periodicity
- Circadian periodicity
- Material periodicity

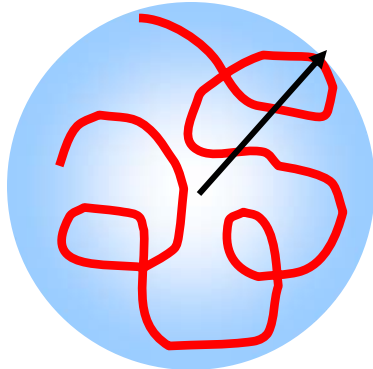
Di-block copolymers

$$\Delta G_m = \Delta H_m - T\Delta S_m$$

$$\frac{\partial^2 \Delta \bar{G}}{\partial X_B^2} < 0$$

Diagrams removed for copyright reasons.
See C.T. Black, et al., Applied Physics Letters 79, 409, 2001.

Micro-phase Separation



Random walk, Gaussian distribution

e-to-e distance, $R = aN^{1/2}$

$R_g = aN^{1/2}/\sqrt{6}$

N: number of monomers

Micro-domain periodicity, L

$$L \propto R_g \propto aN^{\frac{1}{2}}$$

N=1,000

a=5 angstroms

Then, L is around 15 nm.

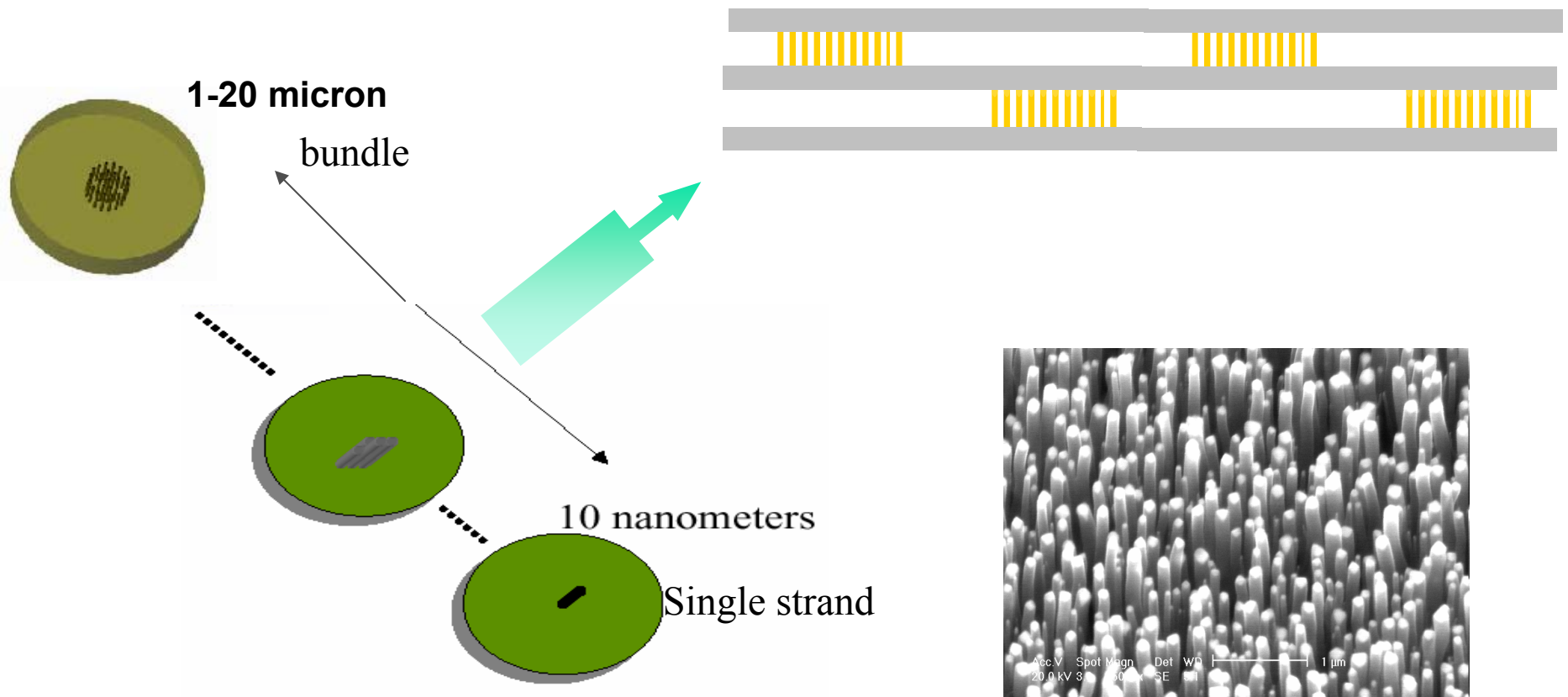
Multi-scale system assembly by periodic building blocks?

- Periodic micro-domains
- Functionally uncoupled domains
- Periodicity, $L \propto R_g \propto aN^{\frac{1}{2}}$
- CNT assembly

MIT Simmons Hall



Inter-layer Nanopellets for Composites₁



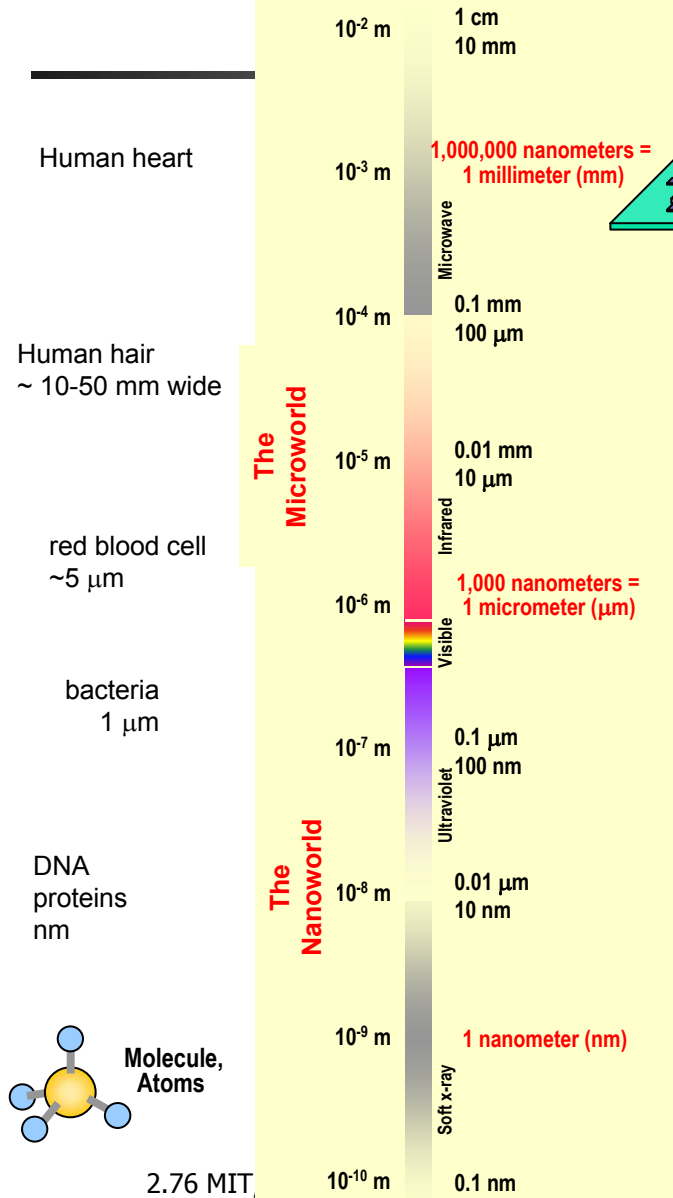
1. Wardle and Kim, US patent pending

2.76 MIT, S. Kim

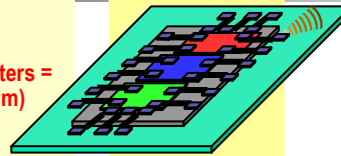
Sang-Gook Kim

Multi-scale Manufacturing at Kim's Group

Things Natural



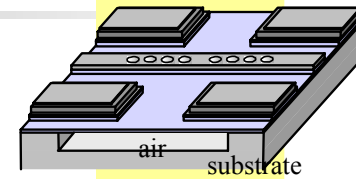
Energy Harvesting



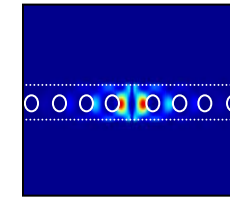
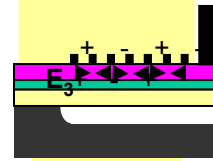
RF Switch

Diagrams removed for copyright reasons.

Tunable Photonics



Nanopipette



MA

Things Engineered