

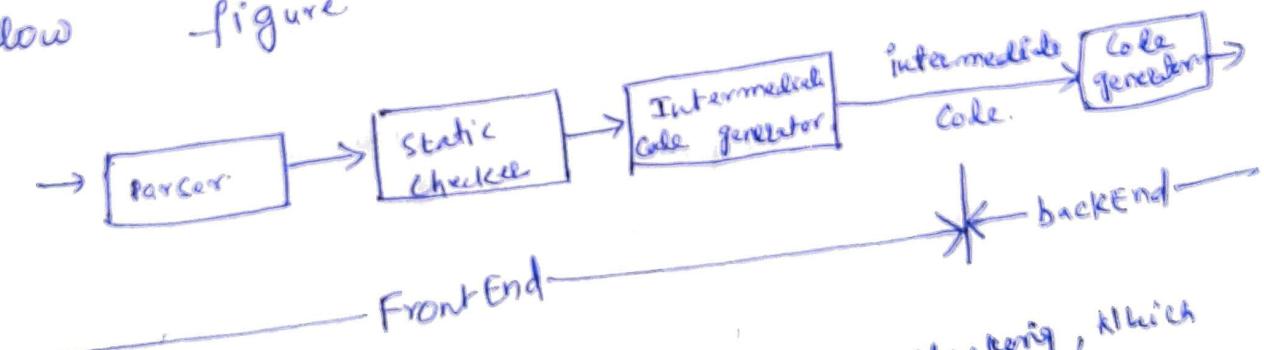
Chapter-2

Intermediate Code Generation.

In analysis-synthesis model of a compiler, the front end analyzes a source program representation, and creates a intermediate back-end generator target code. Details of source language are used in front end, and details of target machine is in back end.

Compiler frontend includes static checking, intermediate code generation. As shown in intermediate code generation.

below figure



Static checking include type checking, which ensures operators have compatible operands. and it also includes syntactic checking.

For ex., static checking will ensure that a break statement is enclosed in either switch, while, or in for loop. Otherwise an error is reported.

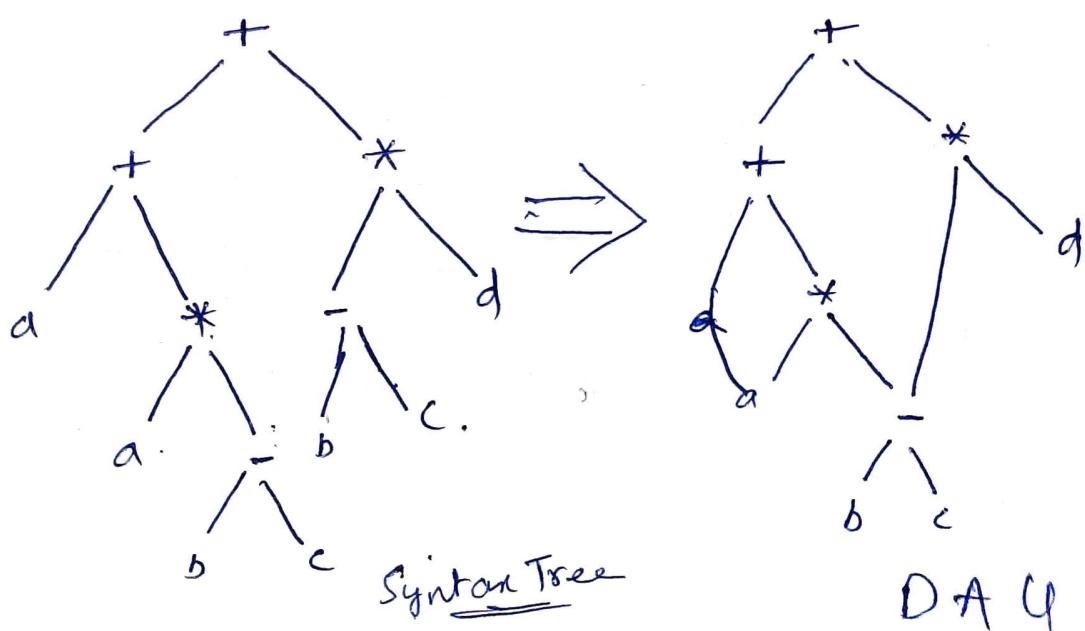
Variations of Syntax Tree

Directed Acyclic Graph for Expressions. (DA4)

A Directed Acyclic Graph for an expr^y identifies common subexpressions which occur more than once. in an expression.

Like in a Syntax Tree, a DA4 has leaves corresponding atomic values and interior nodes corresponding to operators. A node N in DA4, has more than one parent, where N represents common subexpression. In Syntax tree common subexpression will be replicated as many times it appears in expression.

Ex:- Following represents Syntaxtree, and DAG for expression $a + a * (b - c) + (b - c) * d$



(2)

The leaf for a has two parents, because a appears twice in expression. And subexpression $(b-c)$, also has two parents because it also appears twice in $a*(b-c)$ and $(b-c)*d$

Following is an SOD which construct either Syntax Tree or DAG's. functions Leaf and Node's creator are fresh nodes each time when they called in Syntax Tree. In DAG, before creating a new node there functions first check whether or not exists it will be created a new node.

- Production
- 1) $E \rightarrow E_1 + T$
 - 2) $E \rightarrow E_1 - T$
 - 3) $E \rightarrow T$
 - 4) $T \rightarrow T_1 * T_2$
 - 5) $T \rightarrow (E)$
 - 6) $T \rightarrow id$
 - 7) $T \rightarrow num$

Semantic Rules

$E\text{-node} = \text{new Node}(+, E_1\text{-node}, T\text{-node})$

$E\text{-node} = \text{new node}(-, E_1\text{-node}, T\text{-node})$

$E\text{-node} = T\text{-node}$

$T\text{-node} = \text{new node}(*, T_1\text{-node}, T_2\text{-node})$

$T\text{-node} = E\text{-node}$

$T_1\text{-node} = \text{new Leaf}(id, id\text{-entry})$

$T_1\text{-node} = \text{new Leaf}(num, num\text{-val})$

Following steps shows
in previous fig, provided
return existing node

Construction of DAG

Node and Leaf

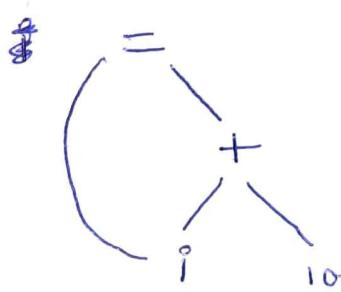
$$P_1 = \text{Leaf}(\text{id}, \text{entry-a})$$
$$P_2 = \text{Leaf}(\text{id}, \text{entry-a}) = P_1$$
$$P_3 = \text{Leaf}(\text{id}, \text{entry-b})$$
$$P_4 = \text{Leaf}(\text{id}, \text{entry-c})$$
$$P_5 = \text{Node}('−', P_3, P_4)$$
$$P_6 = \text{Node}('*', P_1, P_5)$$
$$P_7 = \text{Node}('+', P_1, P_6)$$
$$P_8 = \text{Node}(\text{Leaf}(\text{id}, \text{entry-b})) = P_3$$
$$P_9 = \text{Leaf}(\text{id}, \text{entry-c}) = P_4$$
$$P_{10} = \text{Node}('−', P_3, P_4) = P_5$$
$$P_{11} = \text{Leaf}(\text{id}, \text{entry-d})$$
$$P_{12} = \text{Node}('*'; P_5, P_{11})$$
$$P_{13} = \text{Node}('+', P_7, P_{12})$$

When we the call to $\text{Leaf}(\text{id}, \text{entry-a})$ is repeated at Step 2, the node created by previous call is returned. So $P_2 = P_1$. Similarly nodes returned at 8 and 9 are same as step 3 and 4 ($P_8 = P_3, P_9 = P_4$)
And $P_{10} = P_5$.

The Value-Number Method For Constructing DAG's

The nodes of a syntax tree or DAG are stored in an array of records.

As shown in below figure. Each row represents one record $\text{arr}(\text{node})$. In each record first field is an Operation code, indicating label of the node. Leaf has an additional field which holds the lexical values, and interior nodes have two additional fields indicating left and right children.



a) DAG

1	id	1	→ entry for i
2	num	10	
3	+	112	
4	=	113	
5	
..	

b) Array.

Nodes of Dag for $i = i + 10$ allocated in Array.

In the Array, nodes are referred by integer index of the record. This integer is known as value-number for the node or for expression represented by the node. For ex, The node labeled '+' has value number 3, and left and right children have value number 1 and 2 respectively. Value-number helps construct Expression DAG's.

Each node is referred by its value number

The signature of Value interior node be the triple $\langle op, l, r \rangle$ where Op is label, l is left child and r is right child.

Algorithm :- Value-number method for constructing nodes of a DAG.

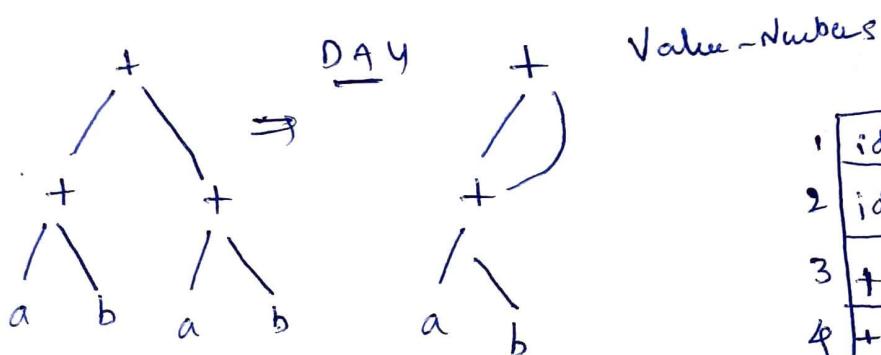
Input :- Label op, node l, and node r

Output :- The value-number of a node in the array with signature (op, l, r) .

Method :- Search the Array ~~WHTH~~ for a node M, with label op, left child l, and right child r, if such node exists return value number of M, if not create a new node N with label op, left child l, right child r, and return its value number.

Ex → Construct DAG, and identify value numbers for Subexpressions $a+b+(a+b)$

1. Parse Tree (SyntaxTree)



(4)

Three Address Code.

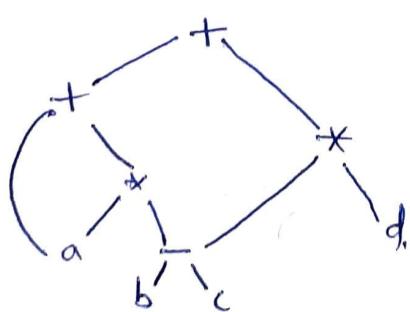
In Three Address Code, there is at most one operator on right side of expression. A source language expression like $x + y * z$ can be translated into a series of three address instructions.

$$t_1 = y * z.$$

$$t_2 = x + t_1$$

t_1 and t_2 are compiler generated temporary names. The temporary names allows the three address code to be rearranged easily.

Three address code can be used to represent a Syntax tree or DAG, where explicit name corresponds to interior nodes of the graph. Following figure shows a DAG and its Three Address code.



$$t_1 = b - c.$$

$$t_2 = a * t_1$$

$$t_3 = a + t_2$$

$$t_4 = t_1 * d$$

$$t_5 = t_3 + t_4.$$

Addressess and Instructions.

Three Address code is built from two concepts addressess and instructions. Three address code can be implemented using records with fields for addressess

An address can be one of the following.

- A name → for convenience, source - program names in three address code. can appear as addressess while implementation source name is replaced by symbol-table entry while all info about name is kept.
- A constant → compiler will deal with many types of constants and variables.
- A compiler generated temporary. → compiler needs a distinct name each time a temporary is needed.

Common Three Address Instructions:-

1. Assignment ~~expressions~~ instructions. of the form $x = y \text{ op } z$, where op is binary arithmetic or logical operation and x, y, z are addressess.

(5)

2. Assignment of the form $x = op y$, where op is unary operation like unary minus, logical negation, conversion operators.

3. Copy Instruction of the form $x = y$, where y value is assigned to x .

4. Unconditional Jump $\underline{\text{goto } L}$, The Three address instⁿ with label L is next executed.

5. Condition Jumps $\underline{\text{if } z \text{ goto } L}$ and
 $\underline{\text{if False } z \text{ goto } L}$

6. Conditional Jumps like $\underline{\text{if } z \text{ relOp } y \text{ goto } L}$.
 where relOp is a relational operator ($<$, $=$, $>$, etc.)

7. procedure calls and return statements using following instⁿ.

\rightarrow Param z for parameter.

$\rightarrow \text{callp } n$

$\rightarrow y = \text{callp } n$

$\rightarrow \text{return } y$

p → stands for procedure, n stands for number of actual parameters.

8. indexed copy instructions of the form

$x[i] = y$ and $x = y[i]$, where x will be set value at i^{th} memory location starting from y , and

in $x[i]=y$, the value of y is stored into memory location i beyond x

9. Address and pointee Assignments of the form

$$\underline{x = \&y}, \underline{x = *y} \text{ and } \underline{*x = y}$$

in $x = \&y \Rightarrow$ This sets address of y to x .

in $x = *y \Rightarrow$ The value at address in y is assigned in x .

in $*x = y$, The value of y will be stored in the address of x .

Ex: Consider the following statement.

do $i = i + 1;$

While ($a[i] < v$);

This code can be translated into three address code as follows

L : $t_1 = i + 1$

$i = t_1$

$t_2 = i * 8$

$t_3 = a[t_2]$

$i * 8$ denotes index of next element.

if $t_3 < v$ goto L

Following is an alternative which uses position numbers starting from 100.

$$100: t_1 = i + 1$$

$$101: i = t_1$$

$$102: t_2 = i * 8$$

$$103: t_3 = a[t_2]$$

$$104: \text{if } t_3 < v \text{ go to } 100.$$

Quadruples

Quadruples :- Quadruples is method to represent three address code. In compile instructions can be implemented as objects or as records, with fields for operator and operands. Three such representations are Quadruples, Triples and indirect triples.

A Quadruple or simply a Quad has four fields, OP, arg₁, arg₂ and result. OP field contains internal code for operator. For instruction $x = y + z$, The three address record has following

OP	arg ₁	arg ₂	result
+	y	z	x

But for some instructions like

1. Unary Operators like $x = \text{minus } y$, ~~or~~ has only arg1, and op is minus.
 $x = y$ do not have arg2 and = is op.

2. Operators like param are neither op²
 nor result.

Q3. Conditional and unconditional Jumps puts the
 target label in result.

E_{2:-1}. Three Address code for Assignment

$a = b * -c + b * -c$, is given below.

Special Operator minus , requests unary minus
 Operator in - c. This unary minus
 Address statement has only two Addressed.

$$t_1 = \text{minus } c$$

$$t_2 = b * t_1$$

$$t_3 = \text{minus } c$$

$$t_4 = b * t_3$$

$$t_5 = t_2 + t_4$$

$$a = t_5$$

op	arg1	arg2	result
minus	c		t1
*	b	t1	t2
minus	c	t2	t3
*	b	t3	t4
+	t2	t4	t5
=	t5		a

E_{2:-2} for the expression

$x = -a * b + -a * b$, give Three
 address code in three address format.

5

$$x = -a + b + -a * b.$$

Three address code is as follows

$$t_1 = \text{minus } a$$

$$t_2 = t_1 * b.$$

$$t_3 = \text{minus } a$$

$$t_4 = t_3 * b.$$

$$t_5 = t_2 + t_4$$

$$x = t_5$$

	op	arg1	arg2	result
0	minus	a		t ₁
1	*	t ₁	b	t ₂
2	minus	a		t ₃
3	*	t ₃	b	t ₄
4	+	t ₂	t ₄	t ₅
5	=	t ₅		x

E₂₃ :- Translate $a + -(b+c)$ into Quadruple.

Sol :- Three Address Code.

$$t_1 = b + c.$$

$$t_2 = \text{minus } t_1$$

$$t_3 = a + t_2$$

	op	arg1	arg2	result
0	+	b	c	t ₁
1	minus	t ₁		t ₂
2	+	a	t ₁	t ₃

Triples

A triple has only three fields op, arg₁ and arg₂

The result field is used for temporary names.

In triples the result of \times op γ by its position rather than explicit temporary name. The position in arguments is used in parenthesis.

The Triple representation for

$a = -b * -c + b * -c$ is given as follows.

$$t_1 = \text{minus } b$$

$$t_2 = b * t_1$$

$$t_3 = \text{minus } c$$

$$t_4 = b * t_3$$

$$t_5 = t_2 + t_4$$

$$a = t_5$$

	op	arg ₁	arg ₂
0	minus	c.	
1	*	b	(0)
2	minus	c	
3	*	b	(2)
4	+	(1)	(3)
5	=	a	(4)

In triple representation by placing a in arg₁ field and (4) in arg₂ field.

Ex 2 → Triple for $a + -(b + c)$

$$t_1 = b + c$$

$$t_2 = \text{minus } t_1$$

$$t_3 = a + t_1$$

	op	arg ₁	arg ₂
0	+	b	c
1	minus	(0)	
2	+	a	(1)

Indirect triplets.

In indirect triples, pointers to keeping rather than triples are kept in instructions rather than themselves. As below. For $a = b * -c + b * -c$.

instruction	
35	(0)
36	(1)
37	(2)
38	(3)
39	(4)
40	(5)

OP	arg1	arg2
0 minus	c	(0)
1 *	b	
2 minus	c	
3 *	b	(2)
4 +	(1)	(3)
5 =	a	(4)

With indirect triplets consisting of pointers to compiler can move instruction list, triple, the optimization by reordering the an instruction the triplets without affecting

Ex \Rightarrow Construct indirect triple for following
 $(a+b) * (a+b) - (a+b) * d$.

$$t_1 = a + b$$

$$t_2 = t_1 * t_1$$

$$t_3 = t_2 - t_1$$

$$t_4 = t_3 * d$$

OP	arg1	arg2
0 +	a	b
1 *	(0)	(0)
2 -	(1)	(0)
3 *	(2)	d

triples.

10	(0)
11	(1)
12	(2)
13	(3)

Indirect triple.

Static Single Assignment Form (SSA)

→ SSA form is an intermediate representation that facilitates code optimization.
→ SSA is different from Three address code in two aspects.

i. All Assignments in SSA, to variables with distinct names, hence it is static assignment.

following figure shows differences b/w Three address and SSA.

$$P = a + b$$

$$Q = P - C$$

$$P = Q * d$$

$$P = e - P$$

$$Q = P + Q$$

$$P_1 = a + b$$

$$Q_1 = P_1 - C$$

$$P_2 = Q_1 * d$$

$$P_3 = e - P_2$$

$$Q_2 = P_3 + Q_2$$

a) Three address code.

b) SSA

Note that in SSA, the subscript distinguishes P and Q .
each definition of variables

The same variable may be defined twice

in control flow paths programs like

if (flag)

$X = 1;$

else

$X = 1;$

$Y = X * a;$

(a)

If we use two names for x , x_1 in true part and x_2 in false part, Then which name we should use in $y = x * a$. SSA uses a notational called as ϕ -function, to combine two definition of x , as follows.

$\text{if } (\text{flag}) \neq 0$

$x_1 = -1 ;$

else

$x_2 = 1 ;$

$x_3 = \phi(x_1, x_2) ;$

$y = x_3 * a$

Here $\phi(x_1, x_2)$ returns value x_1 , if control passes through true part, and x_2 , if control passes through false part.

Types and Declaration.

Type checking uses rules to reason about behaviors of a program at runtime. Type checking ensures that type of Operands match the type expected by Operator, For ex., $&$ Operator in java expects the operands to be booleans.

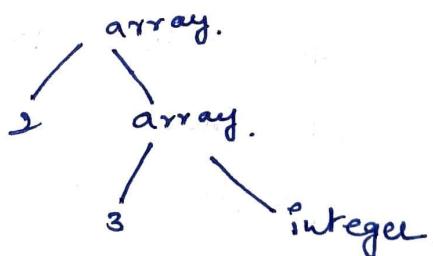
Translations Applications.

1. From the type of a name, a compiler can determine the storage needed for that name at run time. It also needs to calculate the address.

Type Expressions.

2. Types have structure, which is represented using type expressions, which is either a basic type or formed by applying called as a type constructor types and constructors depend on the language to be checked.

Ex:- Array type int [2][3] can be read as "array of 2 arrays of 3 integers each", and written by type expression array(2, array(3, integer)). And this can be represented by following tree



The Operator array takes two parameters a number and a type.

Type expression includes

1. A basic type is a type expression. Basic type includes boolean, char, integer, float and void.
2. A type name is type expression.
3. A type expression is formed by array constructor.
4. A record is a data structure with named fields. Type expression can be formed by record type constructor to field names and their types.
5. Type expression can be formed by using type constructor \rightarrow for function types. We write $s \rightarrow t$ for "function from type s to type t".
6. If s and t are type expressions then their Cartesian product $s \times t$ is a type expression.
7. Type expressions can contain type variables, whose values are type expressions.

Declarations

The following grammar

$$D \rightarrow T \text{ id; } D | e$$

$$T \rightarrow B C | \text{record } ' \{ ' D ' \}'$$

$$B \rightarrow \text{int} | \text{float}$$

$$C \rightarrow \epsilon | [\text{num}] C$$

deals with array types and Basic Types.

- Non Terminal D generates sequence of declarations -
Basic or Array or
- Non Terminal T generates record types.
- Non Terminal C (Component) generates strings of integers surrounded by brackets.
Zero or more integers Basic type B,
specified by C
- An Array Type consists of component specified by C followed by Array declarations
- Record type is a sequence surrounded by curly braces.
for the fields

Storage Layout for Local Names

From the type of a name, we can determine the amount of storage that will be needed at run time. This info is used to allocate the Addresses. The type and the relative address are saved in symbol table entry for the name.

The width of a Type is the number storage units needed for objects for that type. Basic types like character, integer, float requires some number of bytes. Storage for array is allocated in one contiguous block of bytes.

Sequence of Declarations.

Languages like C and Java allows declaration to be processed as a group. But in Java declarations can be distributed within Java procedure. But these can be processed before procedure is executed. We use a offset address to keep track of next available addresses.

Following figure shows sequence of declarations of the form $T \ id$, where T generates a type.

Before first declaration is considered, offset is 0.

As each new name x is seen, x is entered into symbol table, and current value of offset which is incremented by width of type of x .

P →

D { $\text{offset} = 0;$ }

D →

$T \ id : \left\{ \text{top}.put(id.lexeme, T.type, offset) , \right.$
 $\left. \text{offset} = \text{offset} + T.\text{width} \right\}$

D₁

D → e.

The semantic action within the production
 $D \rightarrow T \text{ id} ; D$ adds a symbol table entry
 by executing
 Here top denotes current top symbol table.
 The method entry for address.
 $\text{top}.$ put (*id. lexeme, T-type, offset*)
 $\text{top}.$ put creates a symbol table
*id. lexeme, with T-type *, and offset*

Fields in Records and classes.

Records can be added to the grammar
 by adding following production

$T \rightarrow \text{record} \{ D \}$

The fields in record are specified by D

- The field names in a record must be distinct.
- The offset or relative address for a field name is relative to the area of the record.

E2:- The use of a name x for a field within record does not conflict with other same name outside the record. Following shows x declarations three times.

float x

record { float x; float y; } P

record { int flag; float x; float y; } T,

A Subsequent assignment

$X = P.X + Q.X$, sets variable X to sum of two fields named X in records P and Q.

The relative address of X in P differs from relative address of X in Q.

Type checking.

To do type checking assign a type expression to the source program. Type of logical rules which must be checked.

Type checking programs. Generally

A sound type system

dynamic checking for errors, because it can

statically determine that these errors cannot

occur when the target program runs. A

program is known as strongly typed, if

compiler generates the program which runs

without errors.

Rules for Type checking.

* Type checking is of two forms

1. Synthesis.

2. Inference.

Type synthesis builds up the type of an expression from the type of sub-expressions. The type

of "E1 + E2" is defined in terms of E1 and E2

Type inference determines the type of a language construct depending on the way it is used. if x is a list, and if it is empty null(x), tells that x is empty list, even we don't know the type of x .

Type Conversions.

Consider an expression $x + i$, where x is of float type, i is of integer type. Since both Operands are of two different types and + needs both Operands of same type when the addition occurs. Integers are converted to floats when necessary using unary operator (float).

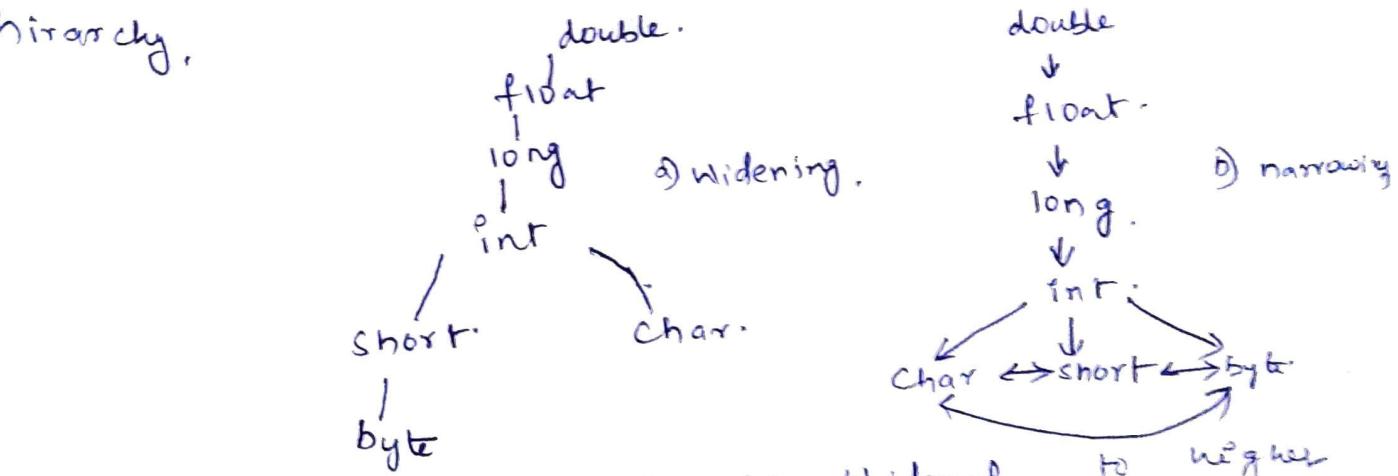
For ex, The following expression $2 * 3.14$
can be written as

$$t_1 = \text{float}(2)$$

$$t_2 = t_1 * 3.14.$$

Type conversions rules vary from language to language. The rules for java are Widening which preserve the info, and narrowing which loses the information.

Widening rules can be given by following hierarchy,



Any lower type can be converted to int or float but can not be widened to short.

In narrowing a type's can be narrowed to a type 't', if there is path between s and t.

Note that char, short, byte are pair wise convertible to each other.

Conversion from one type to another is said to be implied if it is done automatically. In conversion, explicit conversion is known as casting.

Overloading of Functions and Operators.

Overloaded symbols has different meanings depending up on context. Overloading can be resolved depending up on occurrence.

Eg:- The + Operator in Java denotes either concatenation or addition depending up on type of operands.

Overloading can be done in functions also,

Consider * functions

Void err() { ... }		Void err(String s) { ... }
-----------------------------	--	-------------------------------------

Compiler chooses a function depending up on the number and type of arguments.

Control Flow

The if-else statement and While - statement
use Boolean expression. Boolean expressions are often used to

1. Alter the flow of control. → Boolean expr. are used as conditional expressions. For one in if (E) s, E is a boolean expr., which must be true & if we want to execute s.

2. Compute logical values.

→ Boolean expr. can represent true or false values. Such Boolean expr. can be evaluated using three address instructions with logical operators.

Boolean Expressions

Boolean expressions are composed of boolean operators like AND(\wedge), OR(\vee), NOT($!$). Relational

expressions are of the form $E_1 \text{ rel } E_2$,

where E_1 and E_2 are arithmetic expressions.

Boolean expressions are generated by following grammar

$$B \rightarrow B \parallel B \mid B \& B \mid !B \mid (B) \mid E \text{ rel } E \mid \text{true} \mid \text{false}$$

We use rel.op to represent any of the six comparison operators from $<$, \leq , $=$, \neq , \geq , or $>$.
|| and && are left-associative, || has lowest precedence then &&, then !.

→ Given expression is $B_1 \parallel B_2$, if B_1 is true
We can conclude that entire Expr is true without
evaluating B_2 , similarly in $B_1 \& B_2$, if B_1 is
false, Then entire Expr is false irrespective of B_2 .

Short-Circuit Code.

Short-circuit code also known as jumping code, The Boolean expressions &&, || and ! are translated into jumps.

For ex, in following statement

if ($x < 100 \parallel x > 200 \& x \neq y$)
 $x = 0$.

(F)

This code can be translated as follows:

if $x < 100$ goto L_2 .

if False $x > 200$ goto L_1

if False $x_1 = y$ goto L_1

$L_2 : x = 0$

$L_1 :$

The Boolean expr is true if control reaches to Label L_2 . If Expr is false, control goes immediately to L_1 , skipping L_2 , and $x = 0$. This is known as short circuit evaluation or jumping.

Flow-of-control statements.

Following Grammar generates Three address code for boolean expressions.

$S \rightarrow \text{if } (B) S_1$

$S \rightarrow \text{if } (B) S_1 \text{ else } S_2$

$S \rightarrow \text{while } (B) S_1$

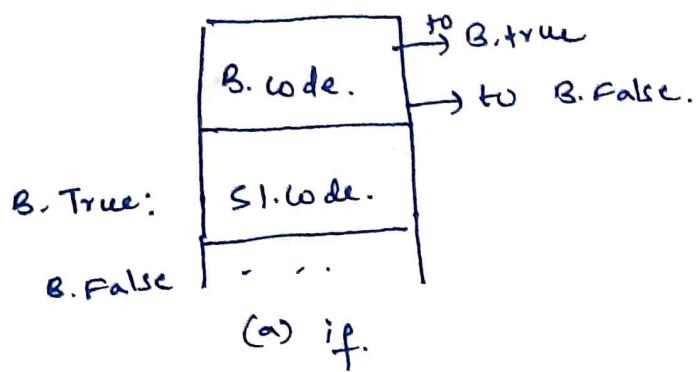
Non Terminal B represent Boolean Expression and

Non Terminal S represent statement. Both

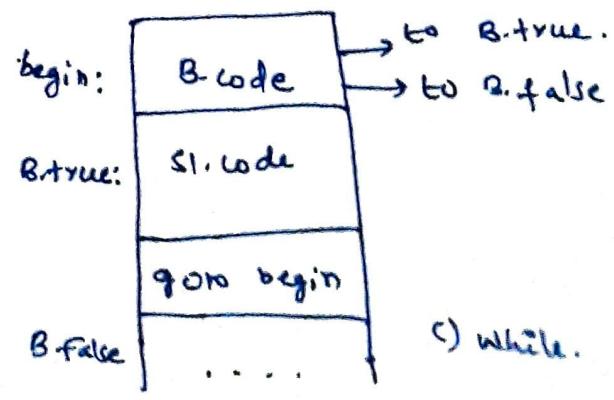
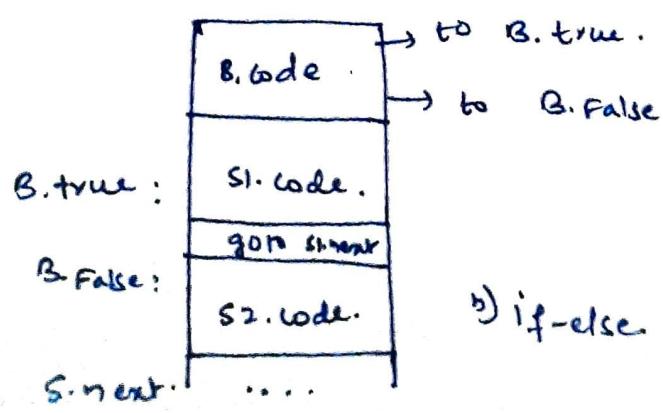
B and S has Synthesized Attribute code, which

gives Translation into \Rightarrow Three address code

The translation of $\text{if}(B) S_1$, consists of B.code followed by S.code, as shown below. B.code has jumps based on values of B. If B is true, control flows to first instruction of S1.code, if B is false control flows to instruction immediately to instruction following S1.code



With every Boolean expression two labels are attached B.True, and B.False. Control will flows to these labels depending up on B's value. The statement S has inherited attribute S.next denoting label for instruction immediately after the code for S.



The Three Address code for following Boolean expression can be given as below.

$\text{if } (x < 100 \text{ || } x > 200 \text{ \&\& } x != y)$

$x = 0;$

\Rightarrow if $x < 100$ goto L_2

goto L_3

$L_3:$ if $x > 200$ goto L_4 .

goto L_1

$L_4:$ if $x != y$ goto L_2

goto L_1 .

$L_2:$ $x = 0$.

$L_1:$

Switch Statements.

Switch is a multiway selection statement.
 It contains a selector expression E , which is to be evaluated, and followed by "constant values v_1, v_2, \dots, v_n , including a default value.", which always matches the expression if no other value does.
 It's syntax can be given as follows.

Switch (E)

{

Case v_1 : S_1

Case v_2 : S_2

:

Case v_{n-1} : S_{n-1}

} default: S_n

Translation of Switch Statement.

The switch code is translated as follows.

1. Evaluate the expression E

2. Find the value v_j in the list

that has value as expression E .

3. Evaluate the statement S_j , associated with value found. If no match found evaluate

`switch` is default.

In `switch if` no of cases are small say 10 at most, then we can use conditional jumps, which tests on individual value and transfers to the code for the corresponding statement.

Another method is to use a table pair, each pair consisting of a value and label for the corresponding statement's code.

Syntax-Directed Translation of Switch-Statements.

Following is a translation of switch statement. The tests all appear at the end so that a simple generator can recognize multiway branch and generate efficient code for it. When we see keyword `switch`, we generate two new labels `test`, `next` and a temporary `t`. We generate code to evaluate E , we generate E into `t`. After processing E , we generate `jmp go to test`.

(17)

code to Evaluate E into t.

goto test

L₁: code for s₁

goto next

L₂: code for s₂

goto next

:

L_{n-1}: code for s_{n-1}

goto next

L_n: code for s_n

goto next.

test: if t = v₁ goto L₁

if t = v₂ goto L₂

:

if t = v_{n-1} goto L_{n-1}

goto L_n

next:

Intermediate code for procedures. (Functions)

Foll
for

In Three Address code a function call is converted into evaluation of parameters in preparation of call, and call itself.

For ex, consider below instruction in which a function with array of integers, and an assignment as below

$$n = f(a[i])$$

This can be translated to following Three address code

$$1) t_1 = i * 4.$$

$$2) t_2 = a[t_1]$$

$$3) \text{Param } t_2$$

$$4) t_3 = \text{Call } f, 1$$

$$5) n = t_3.$$

→ First two lines return computes the value of $a[i]$ and stores into temporary t_2 .

→ Line 3 makes t_2 as actual parameter, which will be actual parameter for call of f at line 4. This line return the value of to temporary t_3 , and line 5 assigns the result of $a[i]$ to n .

Following are SDD to define functions and function calls.

$D \rightarrow \text{define } T \cdot id (F) \{ S \}$

$F \rightarrow \epsilon \mid T \cdot id, F \cdot$

$S \rightarrow \text{return } E;$

$E \rightarrow id (A)$

$A \rightarrow \epsilon \mid E, A \cdot$

Non Terminals D and T generate declarations and Types respectively.

→ Function definition generated by D, consists of keyword define, a return Type (T), function name (id), formal parameters (P) in parenthesis, and function body consisting of statements (S) in curly braces.

→ Formal parameter F generates zero or more formal parameters which consists of Type and identifier

→ Non Terminal S and E generates statements and Expressions respectively.

→ E adds function call with Actual parameters generated by A. An Actual parameter is an Expression.